## Errata

line 2 after Theorem 2.4: only finitely many  $\leadsto$  only finitely many irreducible

Proposition 3.5: r is the rank of V; in the Proof:  $s_x(V)$  here is  $Sw_x(V)$ 

Definition 3.7:  $\psi \leadsto \bar{\psi}$ 

Proposition 3.9, Proof, last line: formula should read

$$Sw(V) \le rank(V)D_{\bar{C}'/C} \le D$$

Corollary 4.9, Proposition 5.2, Proof: on 5 spots,  $\alpha \leadsto \kappa$ .

Proposition 4.11 (i):  $V^{\flat}$  is not unique,  $\operatorname{Gal}(\mathbb{F}_{q^m}/\mathbb{F}_q)$  acts transitively on the cardinality m set of such.

Claim 5.4, Proof of (ii):

- a)  $\dim_{\bar{\mathbb{Q}}_{\ell}} H_c^2(X \otimes_{\mathbb{F}_q} \mathbb{F}, Hom(S_{i_{\circ}}, S_i)) = m_{i_{\circ}}^2$
- b)  $|\alpha| = q^n$

line -2 before (5.5): Theorem 5.2 should be Proposition 5.2.

Lemma 6.3, Proof, Step 1: notation  $L(V_i)$  is slightly confusing, what is meant is the reduced closed subscheme associated to

$$\kappa(\chi_1 \cdot V_1 \oplus \ldots \oplus \chi_n \cdot V_n).$$

6.3 Step 1: 2 lines before Step 2:  $\mathcal{L}(X) \rightsquigarrow \mathcal{L}_r(X)$ .

6.3 Step 3: line 3:  $\phi \leadsto \phi_n$ 

line 2 after Lemma 6.5: one can assume  $\leadsto$  one has to assume

line 8 after Lemma 6.5:  $\tau$  is the restriction map

Claim 6.6, Proof, line 5:  $\phi: \mathbb{F}_q[T_1,\ldots,T_d] \to \mathbb{F}_q([T])$ 

p.27 line 2: Thus by B)  $\rightsquigarrow$  Thus by 2)